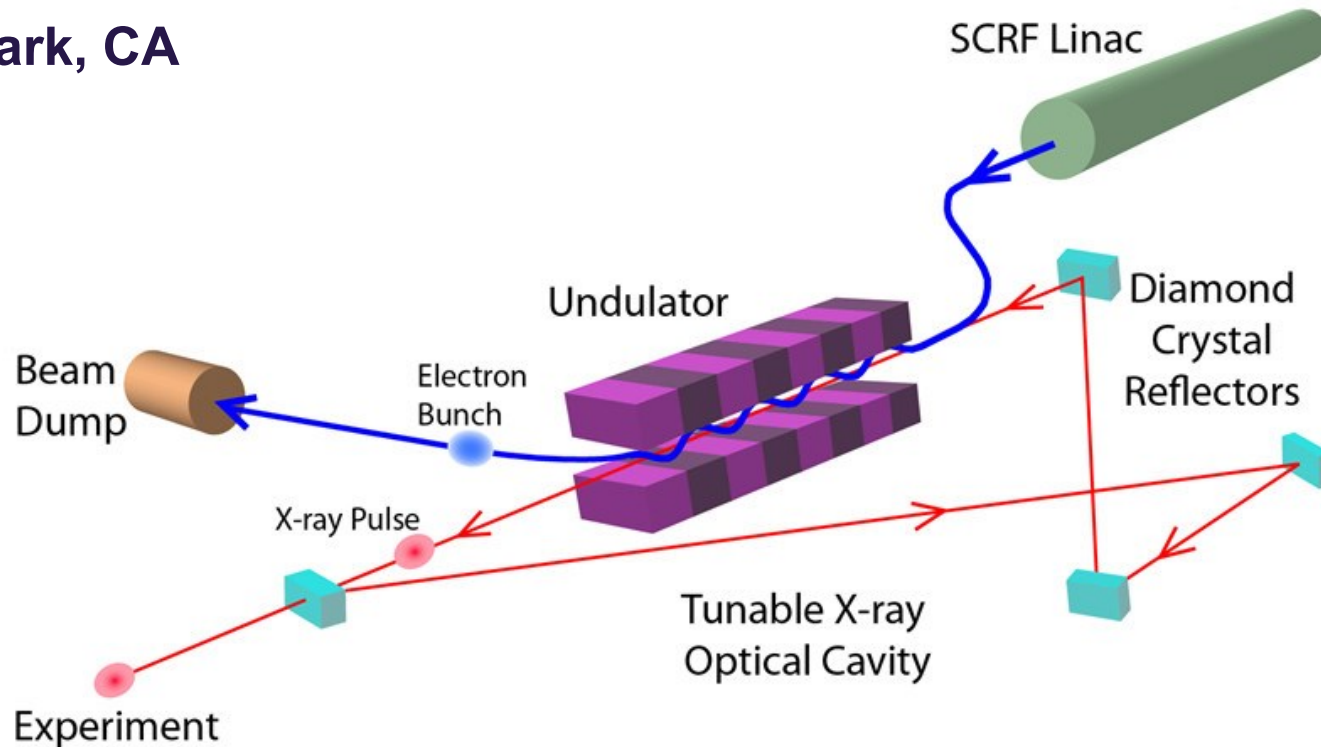


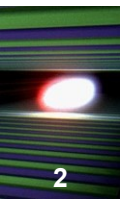
XFEL Science Workshop

June 29 - July 1, 2016

SLAC National Accelerator Laboratory

Menlo Park, CA





Jerry said in the mail:

“5-25 keV photon energy range” (great, like European XFEL, but depends on C\* reflections)

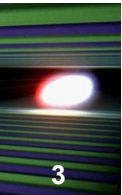
“3-10 meV bandwidth” ( $\sim 10^{-6}$  bw, Wow! SASE is  $10^{-3}$ . Fantastic possibilities for large NA optics, e.g. MLL, to reach nm focii)

“Full coherence” (transform limited? Then the pulse duration should be  $\sim 1$ ps – 400 fs)

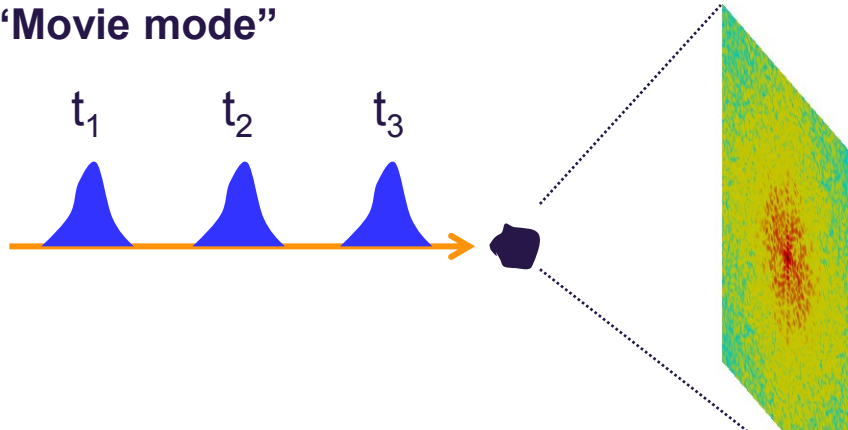
“Pulse length 200-500 fs” (OK, so like transform limited)

“ $10^8$  –  $10^9$  ph/pulse” (not so much..)

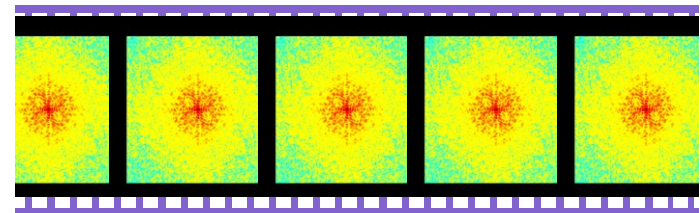
“1-2 MHz rep rate” ( $10^{14}$  -  $10^{15}$  coherent photons/s, nice...)



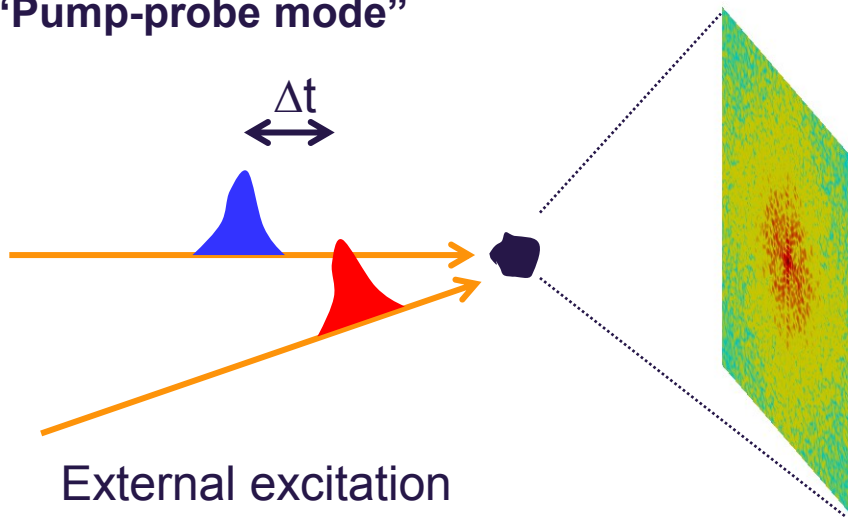
## “Movie mode”



Movie mode at MHz rates, defined by XFEL rep rate and detector speed



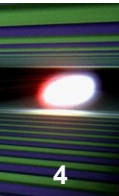
## “Pump-probe mode”



$\Delta t$  can be very small, fs, ps, ns possible. Time encoded in every image.

Experiments can be destructive (diffract & destroy) but not necessarily (CDI).

External excitation  
(optical laser, B, E, T,...)



$10^{15}$  coherent photons/s for XPCS. What would it bring?

$$\text{SNR XPCS} \propto (t_m)^{1/2} \times I_{\text{coherent}}$$

Today:  $I \sim 10^{10}$  gives access to ms dynamics

XFEL:  $I \sim 10^{15}$  would give access to sub-ps dynamics

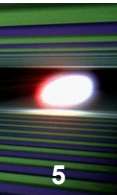
**BUT:**

No 2d detectors can run at sub-ps frame rates

Pulses only arriving at MHz rate (machine rep rate)

→ traditional XPCS at an XFEL will not bring us further than  $\mu\text{s}$  regime where there is **competition from MBA SR** (single shot damage with XFEL...)

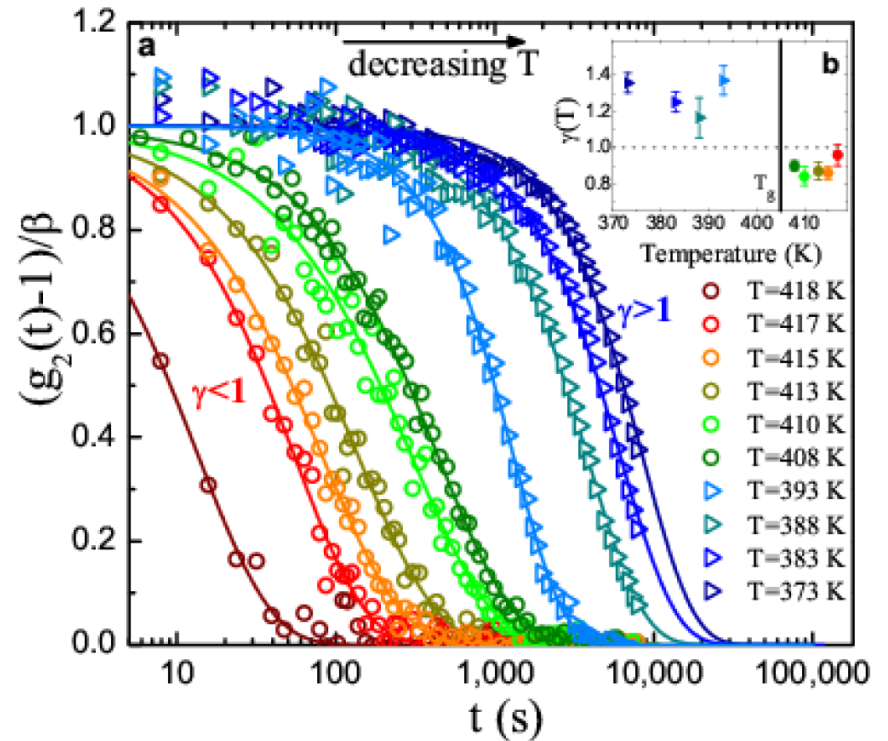
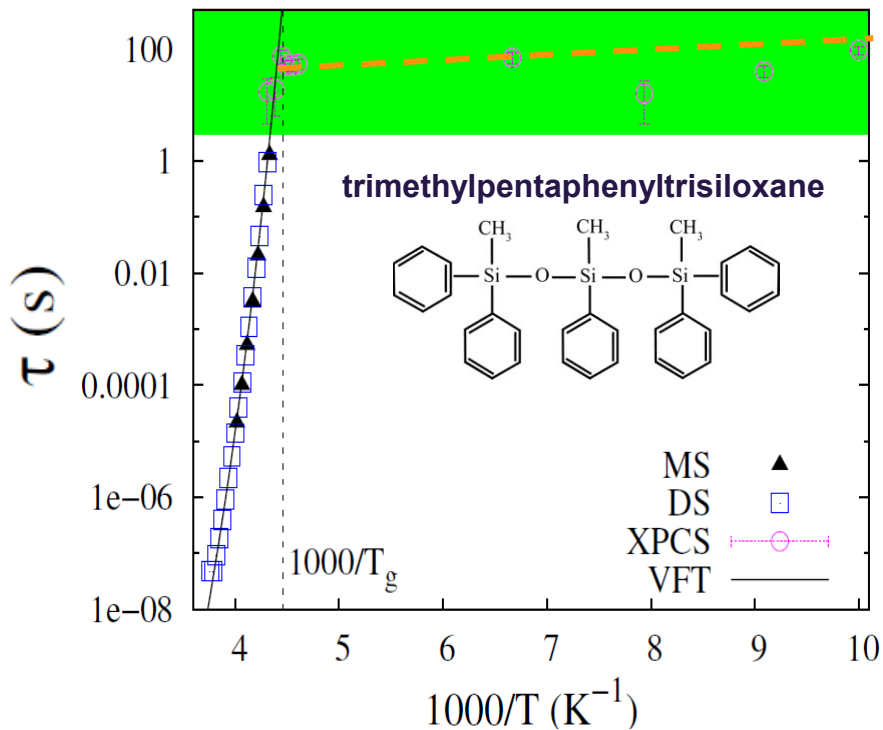
→ ultrafast dynamics studies at an XFEL still requires advanced optical schemes (**e.g. split-delay line,...**)

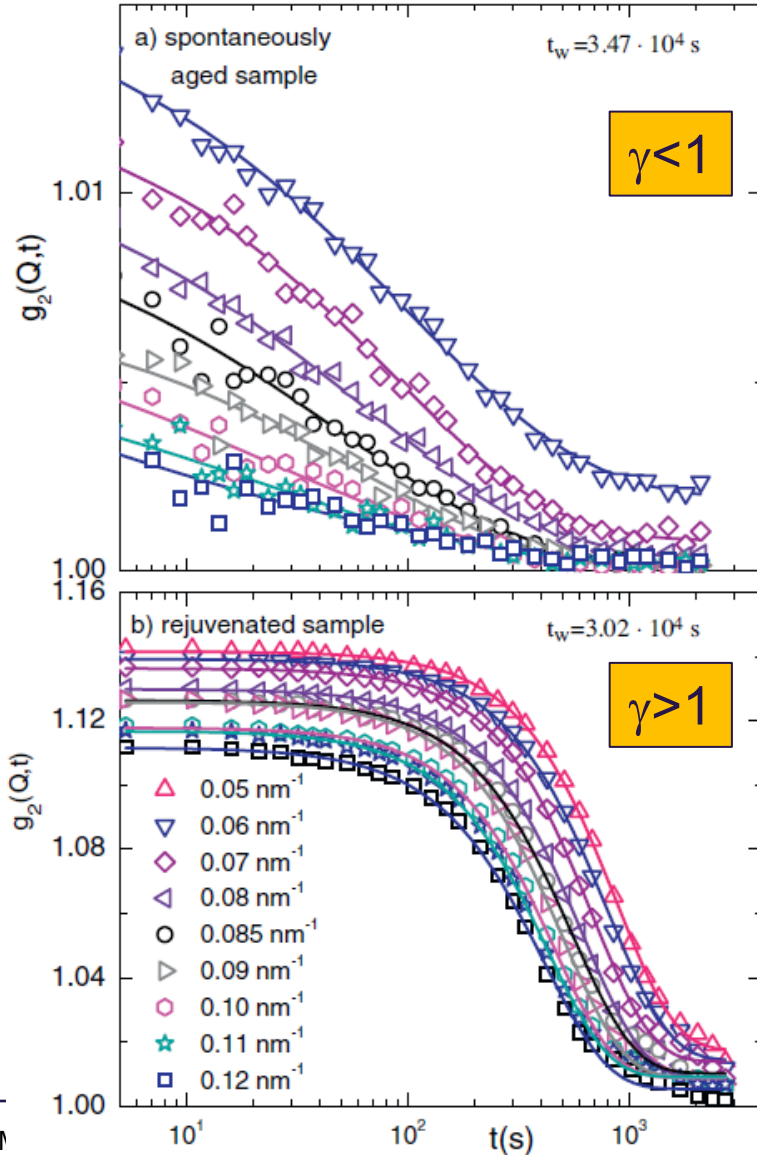
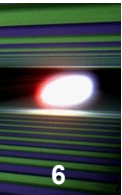


## Study of supercooled liquid glass formers at high Q

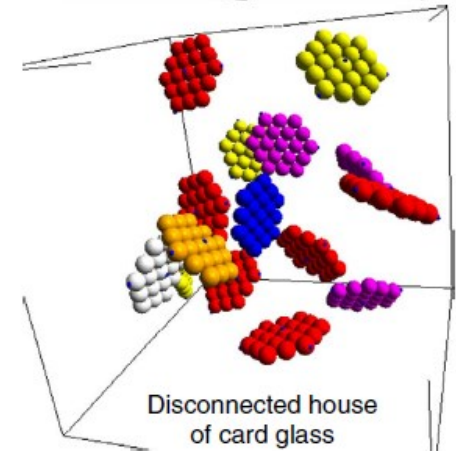
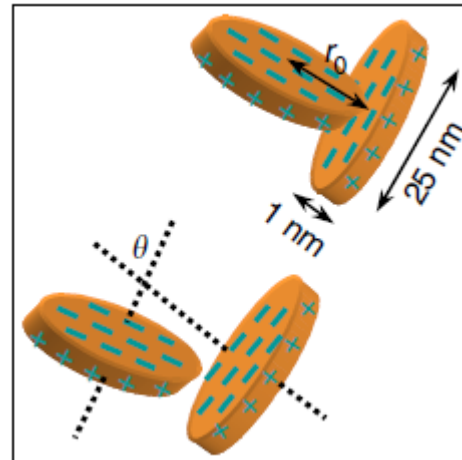
XPCS data on DC705,  $Q=7.5 \text{ nm}^{-1}$   
Chushkin et al., JAC **45**, 807 (2012)

XPCS in metallic glass at  $Q=25 \text{ nm}^{-1}$   
Ruta et al., PRL **109**, 165701 (2012)

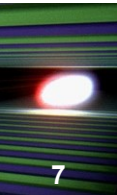




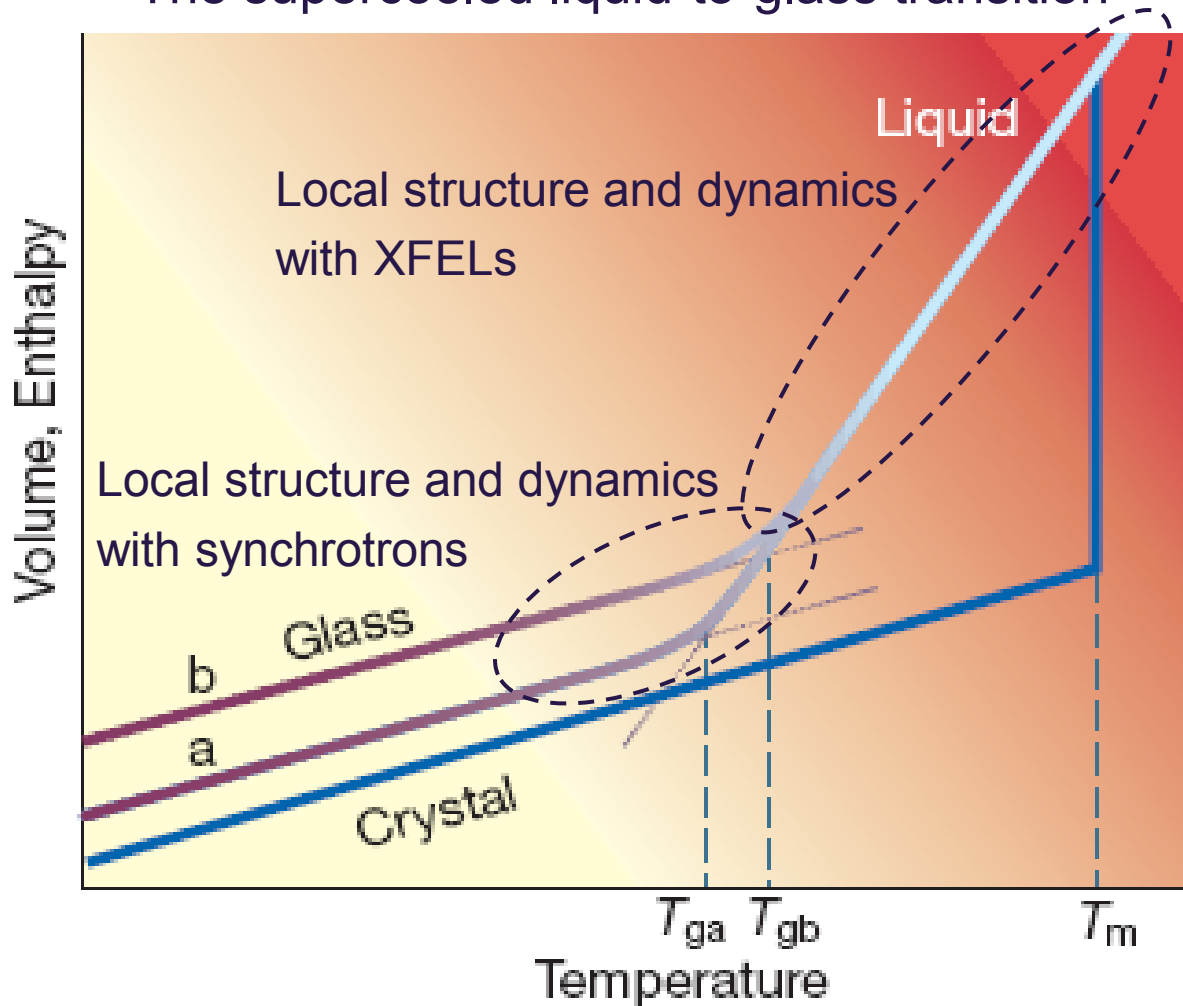
$$g^{(2)}(Q, t) = 1 + \exp(-2[t/\tau]^\gamma)$$



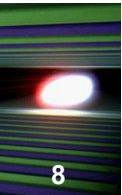
Aging dynamics of a Laponite glass:  
R. Angelini *et al.*, *Soft Matter* **9**, 10955 (2013)



## The supercooled liquid-to-glass transition

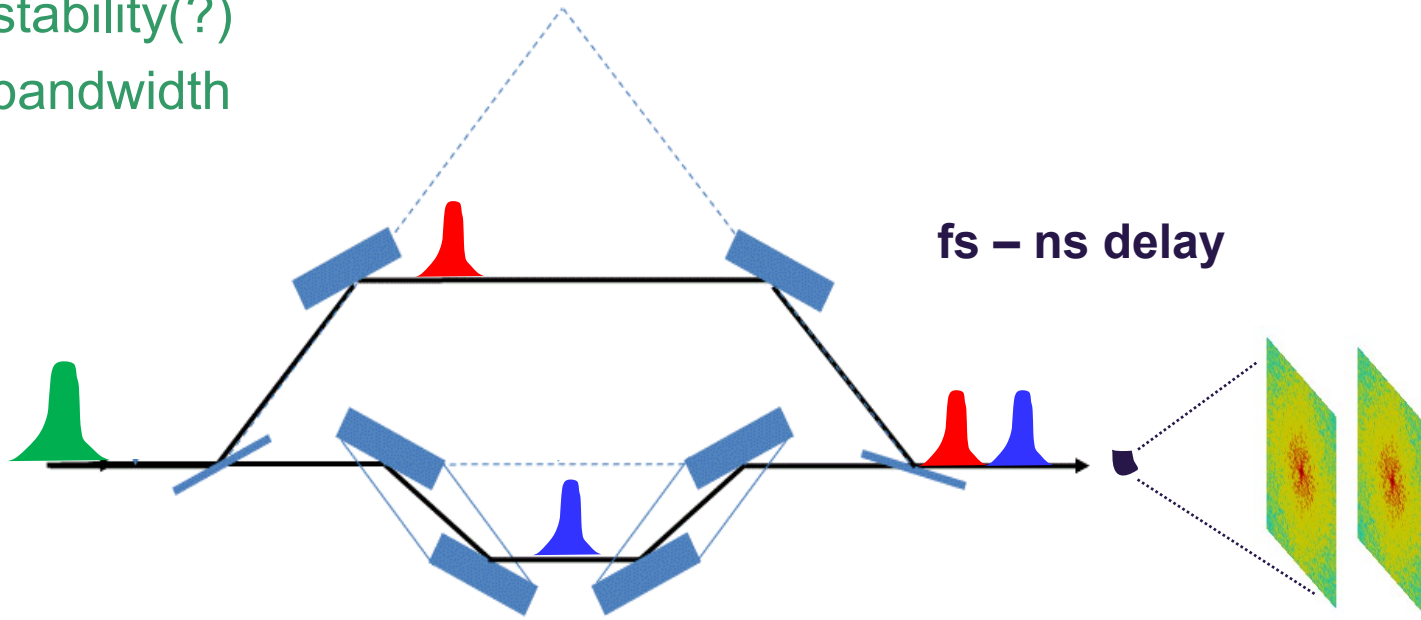


Pablo G. Debenedetti and Frank H. Stillinger, Nature (2001)



Better than with regular XFELs?

+ stability(?)  
bandwidth



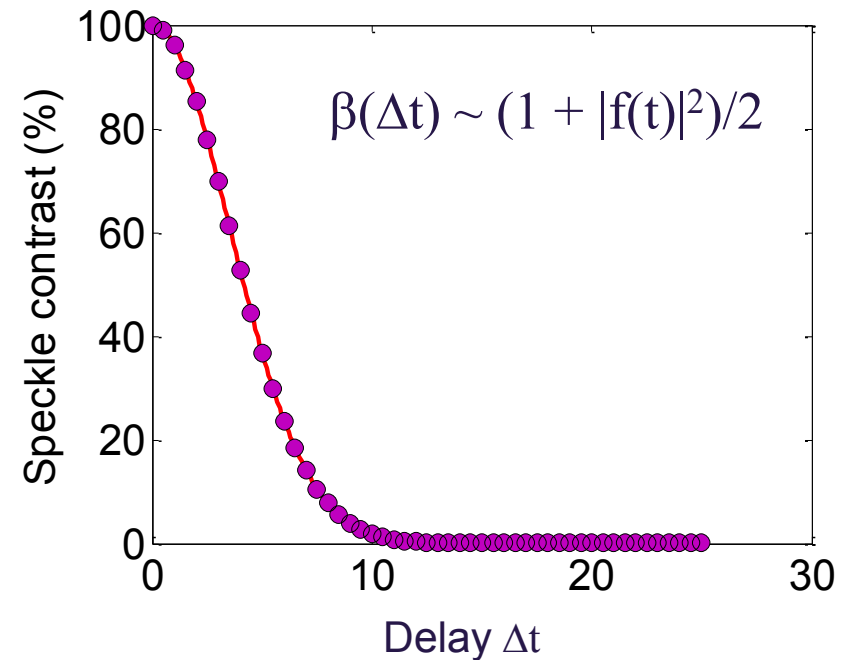
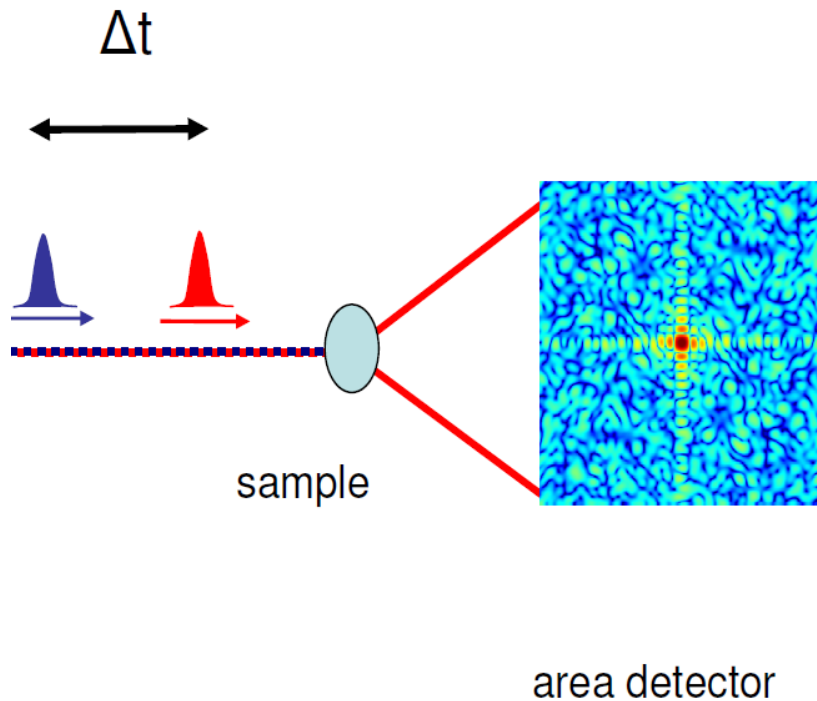
- less ph/pulse

Detector cannot discriminate images → sum recorded

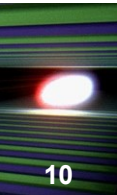


Image analysis (normalized variance) yields the speckle contrast  $b$  of summed images.

$\beta(\Delta t)$  can be mapped out



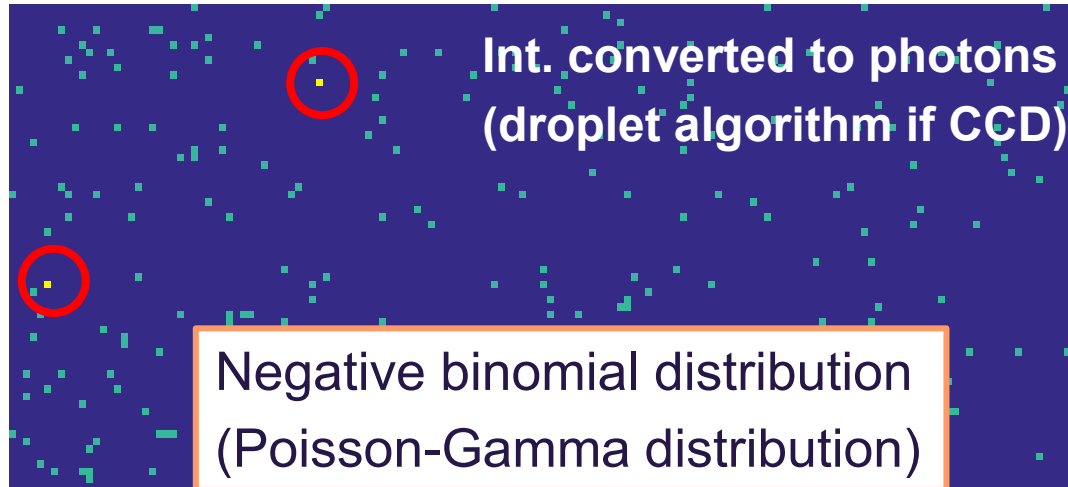
C. Gutt *et al.*, *Optics Express* 17, 55 (2009)



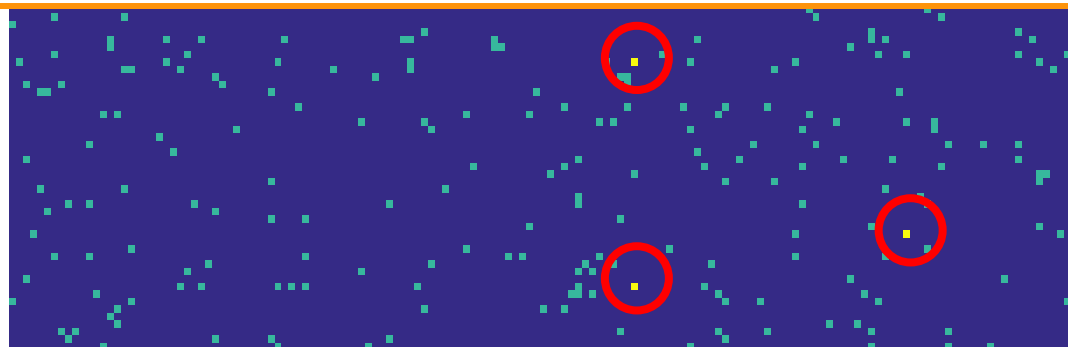
0 ph/pix

1 ph/pix

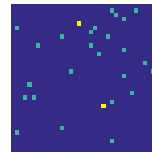
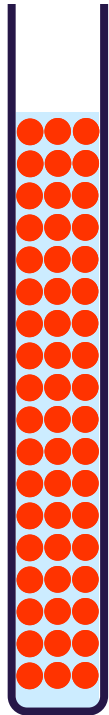
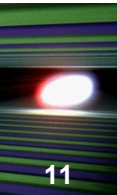
2 ph/pix



$$P_M^{P-\Gamma}(k) = \frac{\Gamma(k+M)}{\Gamma(M)\Gamma(k+1)} \left(1 + \frac{M}{\langle k \rangle}\right)^{-k} \left(1 + \frac{\langle k \rangle}{M}\right)^{-M}$$



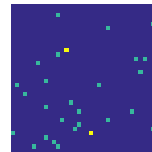
$$\beta = 1/M$$



Sum of images taken at same spot with delay time  $\Delta t$



correlated images



Sum of images taken at different spots or with  $\Delta t \gg \tau$



uncorrelated images

Need:

Precise identification of 0, 1, and 2 (droplet algo.)

Precise measure of  $\langle k \rangle$  (average photon number)

Poisson-Gamma distribution

$$\frac{P(0)}{P(1)} = \frac{1}{\langle k \rangle} + \beta$$

$$\frac{P(1)}{P(2)} = \frac{2\beta + 2/\langle k \rangle}{1 + \beta}$$

GeO<sub>2</sub> glass, T=20°C

$$\beta = \frac{P(0)}{P(1)} - \frac{1}{\langle k \rangle}$$

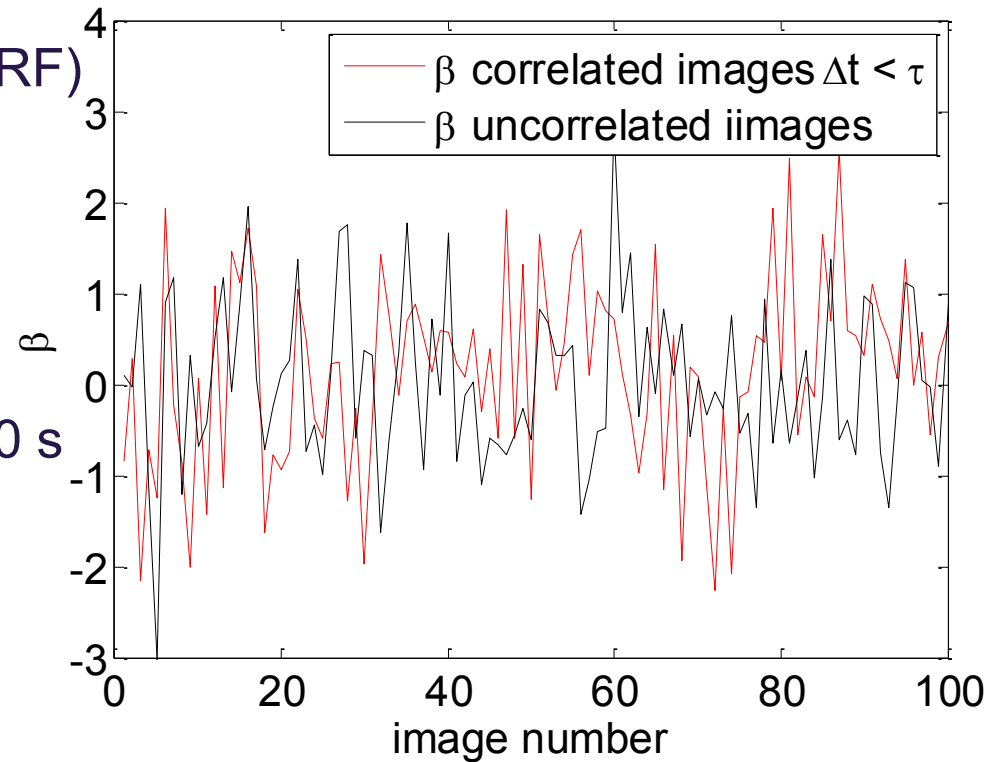
Data taken at Q ~2.5 Å<sup>-1</sup> (ID10, ESRF)

Andor CCD data, 13 μm pixels,  
dropletized

**Correlated images:** Δt = 6 s; τ ~ 60 s

**Uncorrelated images:**

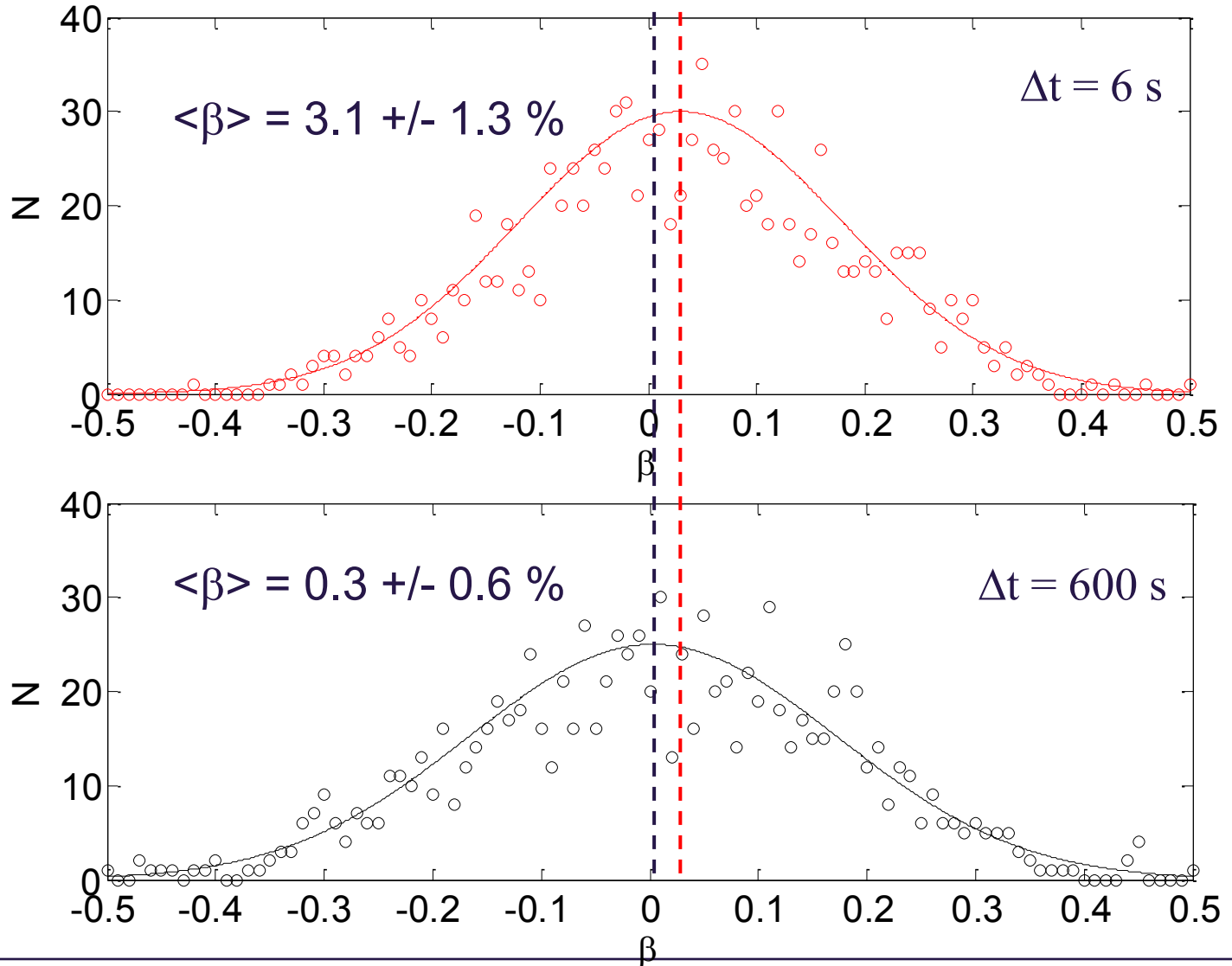
Images separated by Δt = 600 s



Analysis of  
700 images

$$\beta = \frac{P(0)}{P(1)} - \frac{1}{\langle k \rangle}$$

$$\Delta\beta = 2.8 \%$$



Data on GeO<sub>2</sub> glass, Q ~2.5 Å<sup>-1</sup> (ID10, ESRF)



SORRY, picture removed 😊

Hallmann et al,  
unpublished

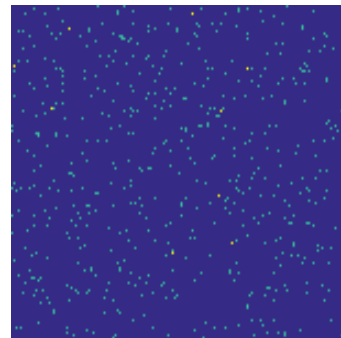
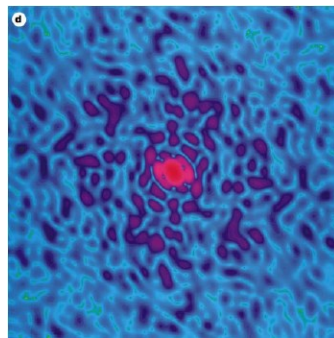
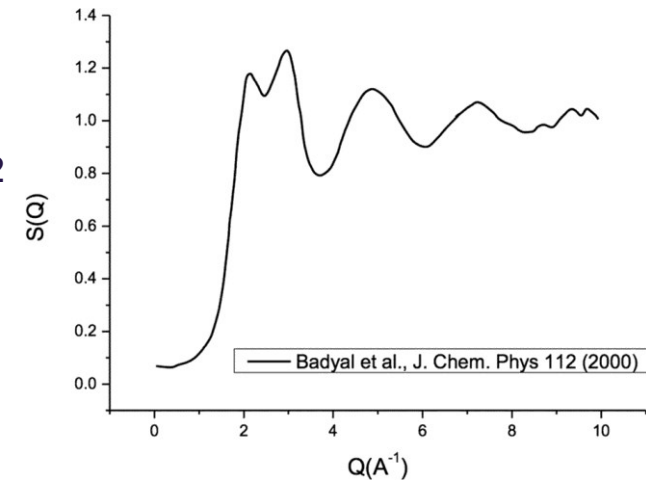
High stability, or at least precise measurement of  $I_0$  for every individual pulse, is mandatory for the sum technique to work.

**Advantage of XFEL stability?**

Differential scattering cross section  $\text{H}_2\text{O} \sim 3 \times 10^{-24} \text{ cm}^2/(\text{rad})^2/\text{atom}$   
(1<sup>st</sup> peak at  $\sim 2 \text{ \AA}^{-1}$ )

Scattering from  $(10 \text{ }\mu\text{m})^3$  cube of  $\text{H}_2\text{O}$ :  
 $\sim 100$  ph per  $10^9$  incident photons in a  $10 \times 10 \text{ cm}^2$   
detector at 5 m distance

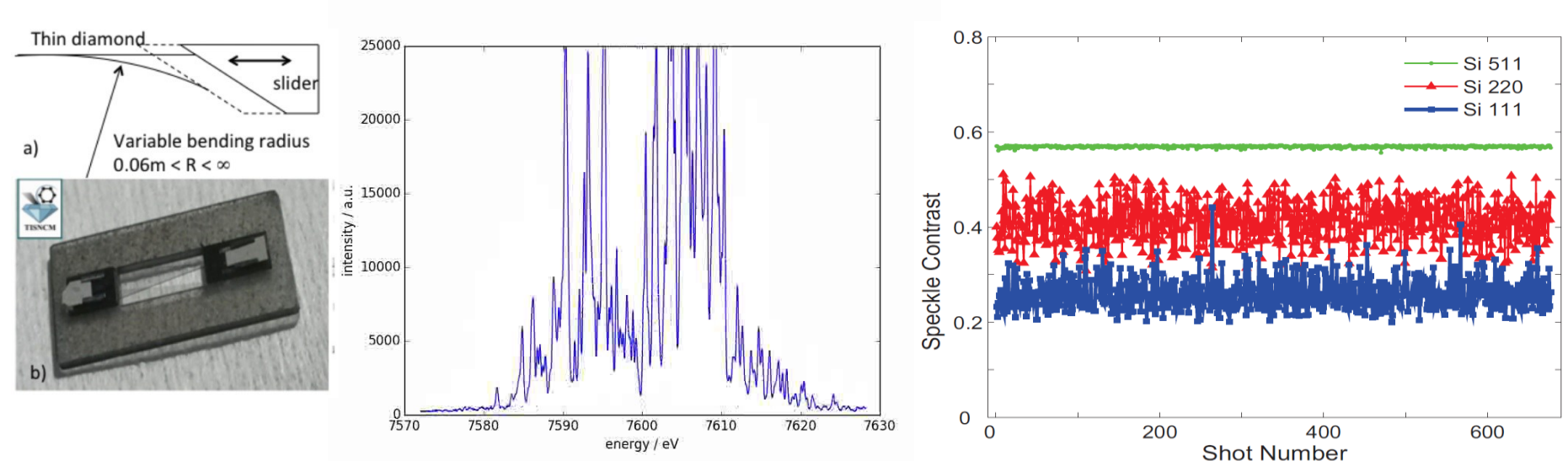
100 ph in 1M pixels  $\rightarrow 1 \times 10^{-4}$  **ph/pixels/pulse**  
(difficult conditions for speckle patterns)



Hard to distinguish speckle  
from poisson statistics & noise

Bragg peaks will help but maybe difficult to compete with high gain XFEL

XPCS is a time-domain technique, i.e. small  $\Delta E/E$  not so important. However, there is an **improvement of the speckle contrast at high Q**, depending on beam size and sample thickness.



*S. Lee et al.*

*Opt. Express* **20**, 9790 (2012)

But **Fourier transform spectroscopy** may become possible in the hard X-ray domain.  $L_{\text{coh}} \sim \lambda/(\Delta\lambda/\lambda) \sim 150 \mu\text{m} \rightarrow t_{\text{coh}} = L_{\text{coh}}/c = 0.5 \text{ ps}$



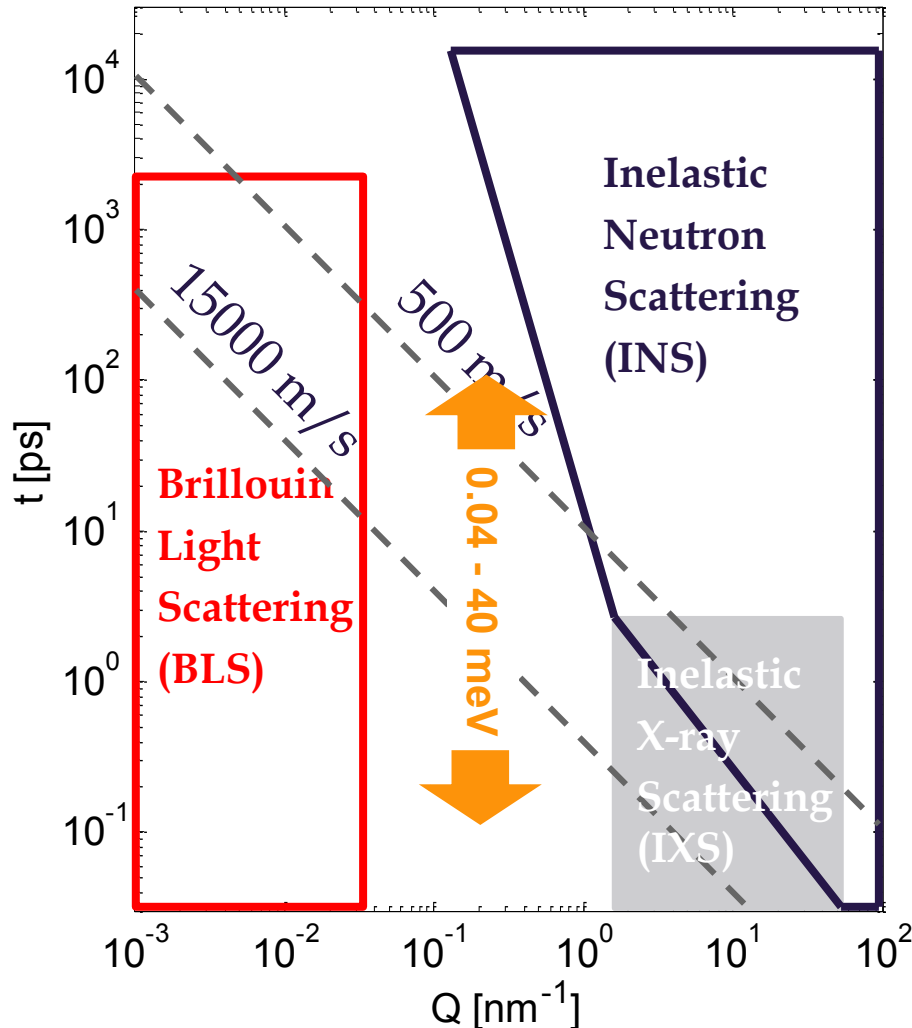
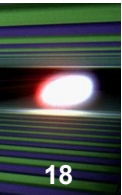
Based on measurements of the temporal/spatial coherence of light  
Analogous to FTIR spectroscopy and the Michelson interferometer

## FTXS recipe:

- 1) Scan the pulse overlap and read out the images
- 2) Interferogram  $I(\Delta t)$  collected for every pixel
- 3) Group pixels, maybe averaging to get  $I(\Delta t, q)$
- 4) FT to get  **$S(\omega)$  vs  $q$** , or  **$g(r)$  vs  $\Delta t$**



Possible to use for broadband lensless imaging (CDI) as well  
Already done with broadband (HHG) sources  
(S. Witte *et al.*, talk at Coherence 2016)



## Possible science examples:

High  $T_c$  SC, cuprates, ferropnictides  
SC bandgap, nesting, nm- $\mu\text{m}$  corr.

Correlated electrons, Charge-spin correlations, SDW, CDW dynamics

Electron-phonon interactions

Correlated dynamics in disordered systems, supercooled liquids, glasses polymers...

- MHz rep rate, high stability together with  $10^{15}$  ph/s (coherent) may give unique options for  $\mu\text{s}$  dynamics (single-shot rad damage?)
- SDL techniques will benefit from the XFEL stability but suffer from the low ph/pulse number; combined effect hard to quantify
- High spectral purity biggest asset (and distinct feature) as the longitudinal coherence is better defined, important for high-Q scattering from disorder
- Split-delay-interfere experiments possible: FTXS  
Previous suggestion: D. Reis, Next talk: M. Sutton
- Compact SDL design for FTXS as limited scanning range is required (double pendulum, Si monolith?)
- Sparse (homeopathic) data can (almost) always be expected. Need conversion to photons. Excessive detector requirements...
- New possibilities for high NA focusing